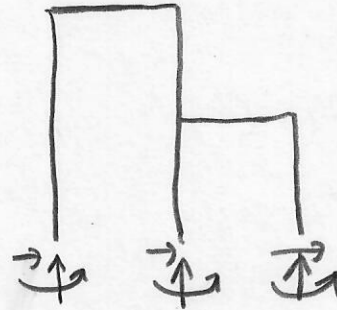
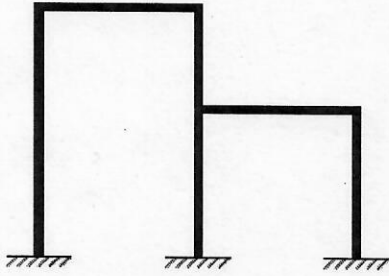


Problem 1 (16 points) – Solve the two problems below:

(a) Determine the value of n (degree of static indeterminacy), and then state whether it is statically determinate, statically indeterminate, or unstable.



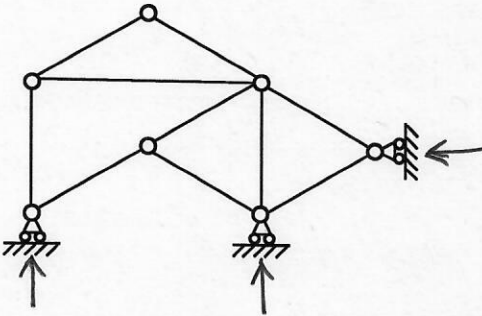
$$r = 9$$

$$m = 1$$

$$n = r - 3m = \underline{\underline{6}}$$

indeterminate

(b) Determine whether the structure is unstable, stable and determinate, or indeterminate. It is braced out of plane.



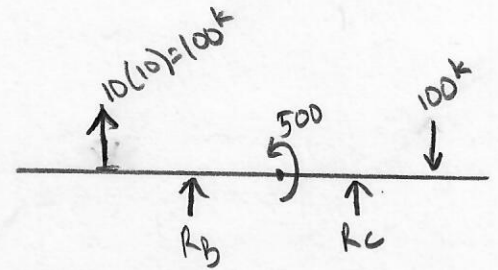
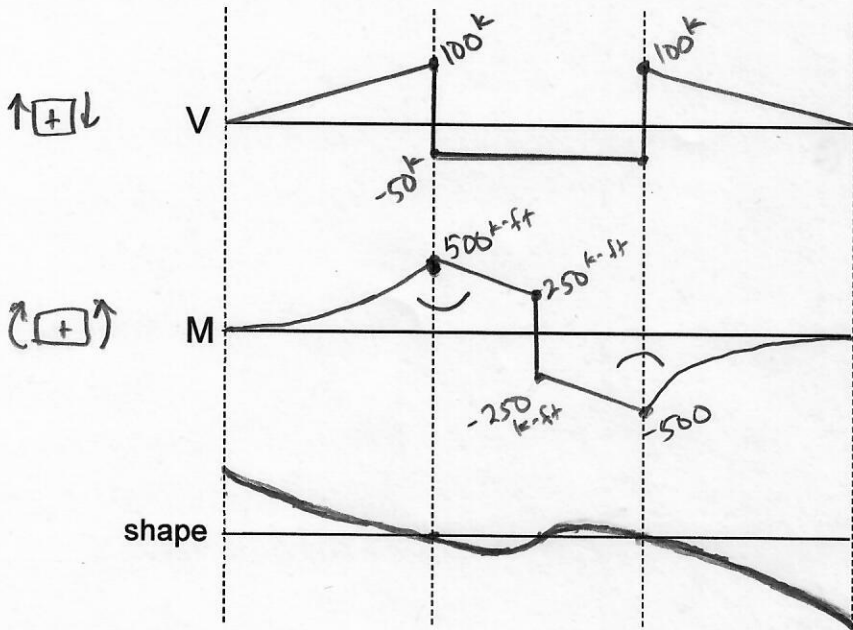
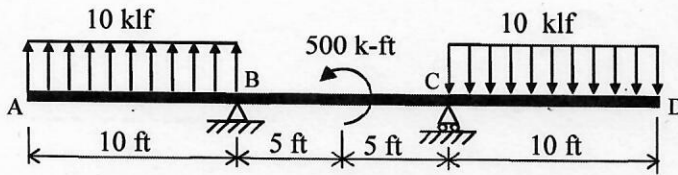
$$\left. \begin{array}{l} b = 10 \\ R = 3 \end{array} \right\} r = 13$$

$$j = 7$$

$$n = r - 2j = 13 - 14 = \underline{\underline{-1}}$$

unstable

Problem 2 (30 points) – For the beam shown, draw shear and moment diagrams, indicating the peak values, and sketch the deflected shape.

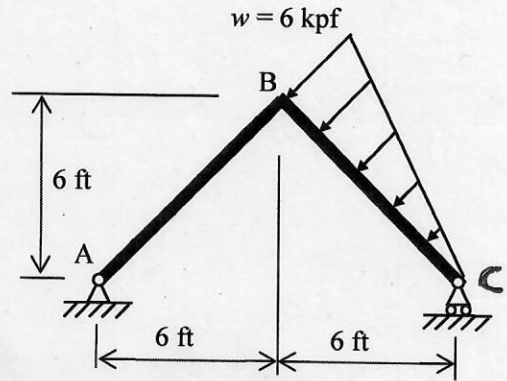
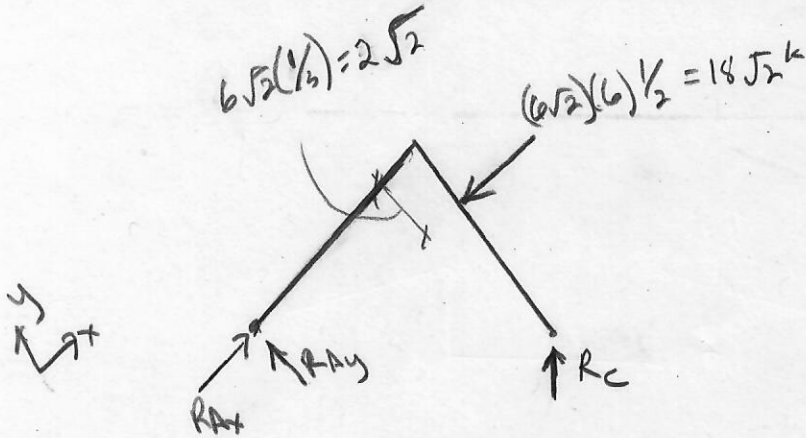


$$\sum M_B = 0 \rightarrow -(100k)(20) + 500 + R_C(10) = 0$$

$$R_C = +150k$$

$$R_B = -150k$$

Problem 3 (30 points) – A distributed load with a maximum magnitude of 6 kips per foot is applied to a weightless frame as shown. Plot the axial force (P), shear (V), and moment (M) diagrams, showing key values.



$$\sum M_A = 0: R_C(12) - 18\sqrt{2}(2\sqrt{2}) = 0$$

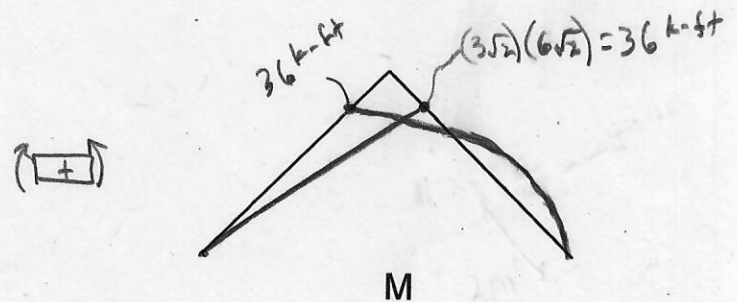
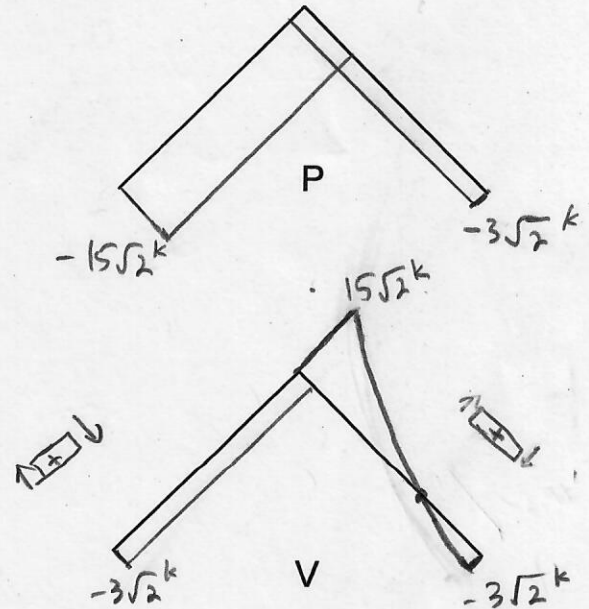
$$\underline{R_C = 6 k}$$

$$\sum F_x = 0 \rightarrow R_{Ax} - 18\sqrt{2} + (6)\frac{\sqrt{2}}{2} = 0$$

$$R_{Ax} = 15\sqrt{2} k$$

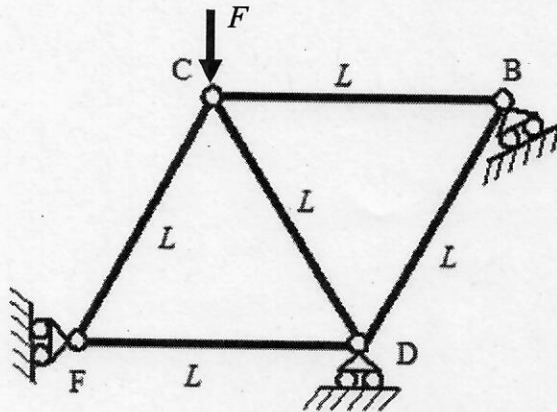
$$\sum F_y = 0 \rightarrow R_{Ay} + 6\left(\frac{\sqrt{2}}{2}\right) = 0$$

$$R_{Ay} = -3\sqrt{2} k$$

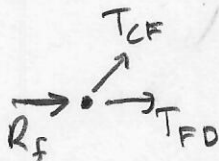


Problem 4 (24 points) – A weightless truss is subjected to the force F at point C. All truss members are of length L . The roller at point B restricts point B to only move along the BF direction.

Using clearly and correctly sketched free-body diagrams, calculate the force in members BC and CD.

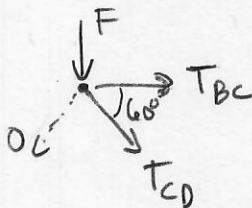


Joint F:



$$\sum F_V = 0 \rightarrow T_{CF} = 0$$

Joint C:



$$\sum F_V = 0 \rightarrow F = -T_{CD} \sin 60^\circ$$

$$T_{CD} = -\frac{2}{\sqrt{3}} F$$

$$\sum F_H = 0 \rightarrow T_{BC} = -T_{CD} \cos 60^\circ$$

$$= \frac{2}{\sqrt{3}} F \left(\frac{1}{2}\right)$$

$$T_{BC} = \frac{F}{\sqrt{3}}$$